Universida_{de}Vigo

Subject Guide 2013 / 2014

| IDENTIFYING DATA (*) Matemáticas: Álxebra lineal Subject (*) Matemáticas: Álxebra lineal |
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| Subject (*)Matemáticas: |
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| Alxebra lineal |
| |
| Code V05G300V01104 |
| Study (*)Grao en |
| programme Enxeñaría de |
| Tecnoloxías de |
| Telecomunicación |
| Descriptors ECTS Credits Choose Year Quadmester |
| 6 Basic education 1st 1st |
| Teaching Spanish |
| language |
| Department |
| Coordinator Martín Méndez, Alberto Lucio |
| Lecturers Faro Rivas, Emilio |
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| General The subject Álgebra Lineal is taught in the first quadmester of the first course of the Grado en Ingeniería de |
| description Tecnologías de Telecomunicación, with the main objective of providing students with a correct management of |
| the elementary mathematical symbolism, the basic techniques of the matrix calculus and an introduction to the |
| methods of resolution of problems that serve as a basis for subjects to study later. It will be paid special |
| attention to the applications of Linear Algebra, as well as to the part of Numerical Analysis which is related to |
| the subject. |

Competencies

Code

- A3 CG3: The knowledge of basic subjects and technologies that capacitates the student to learn new methods and technologies, as well as to give him great versatility to confront and update to new situations
- A4 CG4: The ability to solve problems with initiative, to make creative decisions and to communicate and transmit knowledge and skills, understanding the ethical and professional responsibility of the Technical Telecommunication Engineer activity.
- A10 CE1/FB1: The ability to solve mathematical problems in Engineering. The aptitude to apply knowledge about linear algebra, geometry, differential geometry, differential and integral calculus, differential and partial derivatives equations; numerical methods, numerical algorithms, statistics and optimization

| Learning aims | |
|---|----------------------------------|
| Expected results from this subject | Training and Learning Results |
| FB1 Capacity for the resolution of the mathematical problems that can pose in the engineering. FB1.1 Aptitude to apply the knowledges on linear algebra, geometry and differential geometry. FB1.4 Aptitude to apply the knowledges on numerical and algorithmic methods numerical. | A10 |
| CG3 Knowledge of basic materials and technologies which enable the student to learn new methods and technologies, and provide to him with a big versatility to adapt itself to new situations. | A3 |
| CG4 Ability to solve problems. CG4.1 Ability to solve problems with initiative, decision-making and creativity. CG4.2 Ability to communicate and transmit knowledge, abilities and skills. | A4 |

| Contents | |
|-----------------------------|---|
| Topic | |
| Subject 1. Complex numbers. | Operations with complex numbers. Geometry of the complex plane. Euler's |
| | formula and its consequences. |

| Subject 2. Systems of linear equations. | Solution of a system of linear equations. Systems of linear equations and vector equations. The matrix equation Ax=b. Sets of solutions of systems of linear equations. |
|--|--|
| Subject 3. Vector spaces. | Relations of linear dependence. Subspaces. Basis. Dimension. Rank of a system of vectors. Intersection and sum of subspaces. |
| Subject 4. Matrices and determinants. | Introduction to linear maps. Matrix of a linear map. Operations with matrices. Inverse matrix. Block matrices. LU decomposition. Determinants. Rank of a matrix. |
| Subject 5. Eigenvalues and eigenvectors. | Eigenvalues and eigenvectors. Eigenspace. Diagonalizable matrices. |
| Subject 6. Orthogonallity. | Real Euclidean inner product. Complex Euclidean inner product. Orthogonallity. Diagonalization by unitary similarity. Singular value decomposition. Matrix rank reduction. Applications of Linear Algebra. |

| Planning | | | |
|------------------------------------|-------------|-----------------------------|-------------|
| | Class hours | Hours outside the classroom | Total hours |
| Laboratory practises | 2 | 2 | 4 |
| Master Session | 38 | 76 | 114 |
| Troubleshooting and / or exercises | 9 | 9 | 18 |
| Troubleshooting and / or exercises | 5 | 5 | 10 |
| Long answer tests and development | 2 | 2 | 4 |

^{*}The information in the planning table is for guidance only and does not take into account the heterogeneity of the students.

| Methodologies | |
|-----------------------|--|
| | Description |
| Laboratory practises | Use of the computer tool *MATLAB for the employment of the basic instructions of the matrix calculation. |
| Master Session | Explanation and development by the professor of the contents of the various items that make up the course. |
| Troubleshooting and / | or Resolution by part of the professor of suitable exercises adapted to each topic and suitable |
| exercises | exercises to reveal the relations of the topics between themselves. The student will have to also take part in the resolution of exercises in order to strengthen their knowledge. |

| Personalized attention | | |
|------------------------------------|--|--|
| Methodologies | Description | |
| Troubleshooting and / or exercises | Students will have the opportunity to attend personal tutoring in the professor's office in the hours established, as announced at the beginning of the course and published on the course web page. The professor will personally help students in order to clarify the doubts that they may have about the contents of the subject or the problems solved. He also personally attend students who have questions about exercises sought by themselves. | |
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| Tests | Description | |
| Troubleshooting and / or exercises | Students will have the opportunity to attend personal tutoring in the professor's office in the hours established, as announced at the beginning of the course and published on the course web page. The professor will personally help students in order to clarify the doubts that they may have about the contents of the subject or the problems solved. He also personally attend students who have questions about exercises sought by themselves. | |

| Assessment | |
|-------------|---------------|
| Description | Qualification |

| Troubleshooting and / or exercises | Following the guidelines specific to the degree program, two systems of assessment will be offered: continuous evaluation and evaluation at the end of the quadmester. In the case of continuous evaluation planning will be in the following way: Five one hour testing: 1. Individual test of items 1 and 2 (10%; week 5 approximately). 2. Proof by groups of 4 or 5 students of items 3 and 4 (10%; week 10 approximately). 3. Individual test of item 5 (10%; week 12 approximately). 4. Delivery and resolution, both for groups of 4 or 5 people like individual, of an exercise on symbolic computation with scalars, vectors, matrices, determinants, eigenvalues, eigenvectors, Euclidean inner product, norm, etc (10%; week 14 approximately). 5. Proof by groups of 4 or 5 students of item 6 (10%; week 15 approximately). | 50 |
|------------------------------------|--|----|
| Long answer tests and development | An individual test of two hours of items 1, 2, 3, 4, 5 and 6. | 50 |

Other comments on the Evaluation

Continuous evaluation:

It will be considered that a student has opted by the continuous evaluation when, after knowing the qualification obtained in the first test of an hour, he accept to take part in the elaboración of the groups of work. In this case, the final qualification for a student is given by the formula

$$N=(5/10) \times T + (5/10) \times E$$

where T is the qualification, between 0 and 10, obtained as the weighted average of the qualifications of the five tests of an hour and where E is the qualification, between 0 and 10, obtained in the test of two hours. In this mode, it is considered that a student has successfully completed the course when N is greater than or equal to 5. Before the completion or delivery of each test, the date and procedure for the review of the qualifications obtained will de indicated; these qualifications will be open to the students in a reasonable period of time. The tests are not recoverable, in other words, if a student cannot present himself to realize them in the day stipulated, the professor does not have obligation to repeat them.

Qualifications obtained in the evaluables tests will be valid only for the academic course in which they are realized.

Evaluation at the end of the quadmester:

Students who do not choose continuous evaluation may be submitted to an examination, which will not necessarily be the same as the single test of two hours of items 1, 2, 3, 4, 5 and 6 of the students that follow the continuous evaluation, which will be evaluated on 10 points. In this mode, it is considered that a student has successfully completed the course when the qualification of the examination is greater than or equal to 5.

Recovery in July:

The day of the test of recovery, students who have chosen continuous evaluación will be able to opt, if they wish it and before seeing it, for a test where the note is obtained as

$$NR = (5/10) \times T + (5/10) \times D$$

where T is the qualification, between 0 and 10, obtained as the weighted average of the qualifications of the five tests of an hour and where D is the qualification, between 0 and 10, obtained in a three-hour maximum test of items 1, 2, 3, 4, 5 and 6. In this mode, it is considered that a student has successfully completed the course when NR is greater than or equal to 5.

In case of not choosing this option, or if they do not qualify to choose it because they have not participated in the continuous evaluation, the recovery examination, not necessarily the same as that taken by the students who have chosen the above mentioned option, will be also a three-hour maximum test of items 1, 2, 3, 4, 5 and 6. In this case, the test will be evaluated

on 10 points and it will be considered that a student has successfully completed the course when the qualification of the test is greater than or equal to 5.

Qualification of Not Present:

A student will be deemed not present if he does not opt for continuous evaluation and, at most, he appears to the first individual test of one hour. Otherwise he shall be deemed present and he shall be granted the corresponding qualification.

Sources of information

D. C. Lay, Álgebra lineal y sus aplicaciones, 3ª,

D. Poole, Álgebra lineal: Una introducción moderna, 2º,

L. Merino; E. Santos, Álgebra lineal con métodos elementales, 1ª,

Recommendations

Subjects that continue the syllabus

(*)Física: Análise de circuítos lineais/V05G300V01201

(*)Física: Campos e ondas/V05G300V01202

(*)Matemáticas: Cálculo II/V05G300V01203

(*)Matemáticas: Probabilidade e estatística/V05G300V01204

(*)Procesado dixital de sinais/V05G300V01304

(*)Redes de ordenadores/V05G300V01403

Subjects that are recommended to be taken simultaneously

(*)Matemáticas: Cálculo I/V05G300V01105